

Lesson Plan for Applied Mathematics – II (BS-112)

Subject : Applied Mathematics – II

Total Teaching Weeks : 16

Subject Code : BS-112

Credit : 04

| S.No. | Contents | No. of Lectures |
|------------------|--------------------------------------------------------------------------------------------------------------------------------|-----------------|
| UNIT - I | | |
| 1 | Complex Analysis – I : Complex Numbers and Their Geometric Representation, Polar Form of Complex Numbers | 1 |
| 2 | Powers and Roots, Derivative | 1 |
| 3 | Analytic Function, Cauchy–Riemann Equations. Laplace’s Equation, Exponential Function, Trigonometric and Hyperbolic Functions. | 1 |
| 4 | Euler’s Formula, de’Moivre’s theorem (without proof), Logarithm | 1 |
| 5 | General Power, Principal Value | 1 |
| 6 | Singularities and Zeros | 1 |
| 7 | Infinity, Line Integral in the Complex Plane, | 1 |
| 8 | Cauchy’s Integral Theorem, Cauchy’s Integral Formula, | 1 |
| 9 | Derivatives of Analytic Functions, Taylor and Maclaurin Series. | 1 |
| UNIT - II | | |
| 10 | Complex Analysis – II: Laurent Series, Residue Integration Method. | 1 |
| 11 | Residue Integration of Real Integrals, Linear Fractional Transformations (Möbius Transformations), | 1 |
| 12 | Geometry of Analytic Functions: Conformal Mapping, | 1 |
| 13 | Linear Fractional Transformations (Möbius Transformations), | 1 |
| 14 | Special Linear Fractional Transformations, Conformal Mapping by Other Functions, | 1 |
| 15 | Applications: Electrostatic Fields, Use of Conformal Mapping. | 1 |
| 16 | Modeling, Heat Problems, Fluid Flow. | 1 |
| 17 | Poisson’s Integral Formula for Potentials | 1 |
| | | |

| | | |
|----|-------------------------------------------------------------------------------------------------------------------------------|---|
| | UNIT - III | |
| 18 | Laplace Transforms: Definitions and existence (without proof), properties, | 1 |
| 19 | First Shifting Theorem (Shifting), Transforms of Derivatives and Integrals and ODEs, Unit Step Function (Heaviside Function). | 1 |
| 20 | Second Shifting Theorem (t-Shifting), Short Impulses | 1 |
| 21 | Dirac's Delta Function | 1 |
| 22 | Partial Fractions, Convolution. Integral Equations, Differentiation and Integration of Transforms | 1 |
| 23 | Solution of ODEs with Variable Coefficients, Solution of Systems of ODEs | 1 |
| 24 | Inverse Laplace transform and its properties | 1 |
| 25 | Fourier Analysis: Fourier Series, Arbitrary Period, Even and Odd Functions. | 1 |
| 26 | Half-Range Expansions, Sturm–Liouville Problems | 1 |
| 27 | Fourier Integral, Fourier Cosine and Sine Transforms, Fourier Transform | 1 |
| 28 | Usage of fourier analysis for solution of ODEs | 1 |
| 29 | Inverse Fourier transform and its properties | 1 |
| | | |
| | UNIT - IV | |
| 30 | Partial Differential Equations (PDEs): Basic Concepts of PDEs. | 1 |
| 31 | Modeling: Vibrating String, Wave Equation. Solution by Separating Variables. | 1 |
| 32 | Use of Fourier Series. D'Alembert's Solution of the Wave Equation. | 1 |
| 33 | Characteristics. Modeling: Heat Flow from a Body in Space. Heat Equation: Solution by Fourier Series. | 1 |
| 34 | Steady Two-Dimensional Heat Problems. Dirichlet Problem. | 1 |
| 35 | Heat Equation: Modeling Very Long Bars. | 1 |
| 36 | Solution by Fourier Integrals and Transforms. | 1 |
| 37 | Modeling: Membrane, Two-Dimensional Wave Equation. | 1 |
| 38 | Rectangular Membrane. Laplacian in Polar Coordinates. Circular Membrane. | 1 |
| 39 | Laplace's Equation in Cylindrical and Spherical Coordinates. | 1 |
| 40 | Potential. Solution of PDEs by Laplace Transforms. | 1 |
| | | |
| | | |
| | | |
| | | |